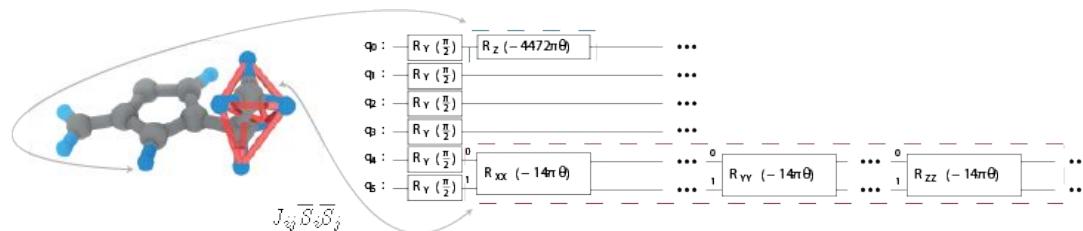
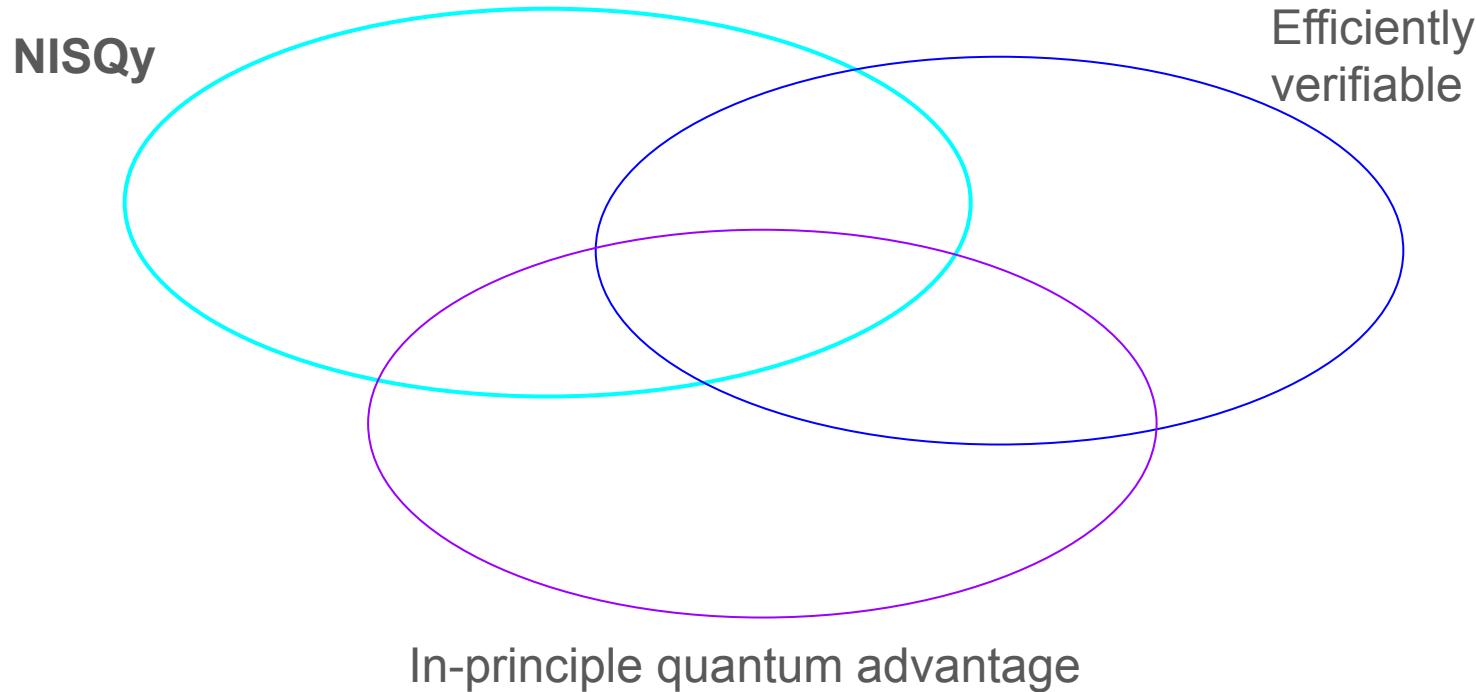


MatterDecoder: Towards quantum utility with life science use cases



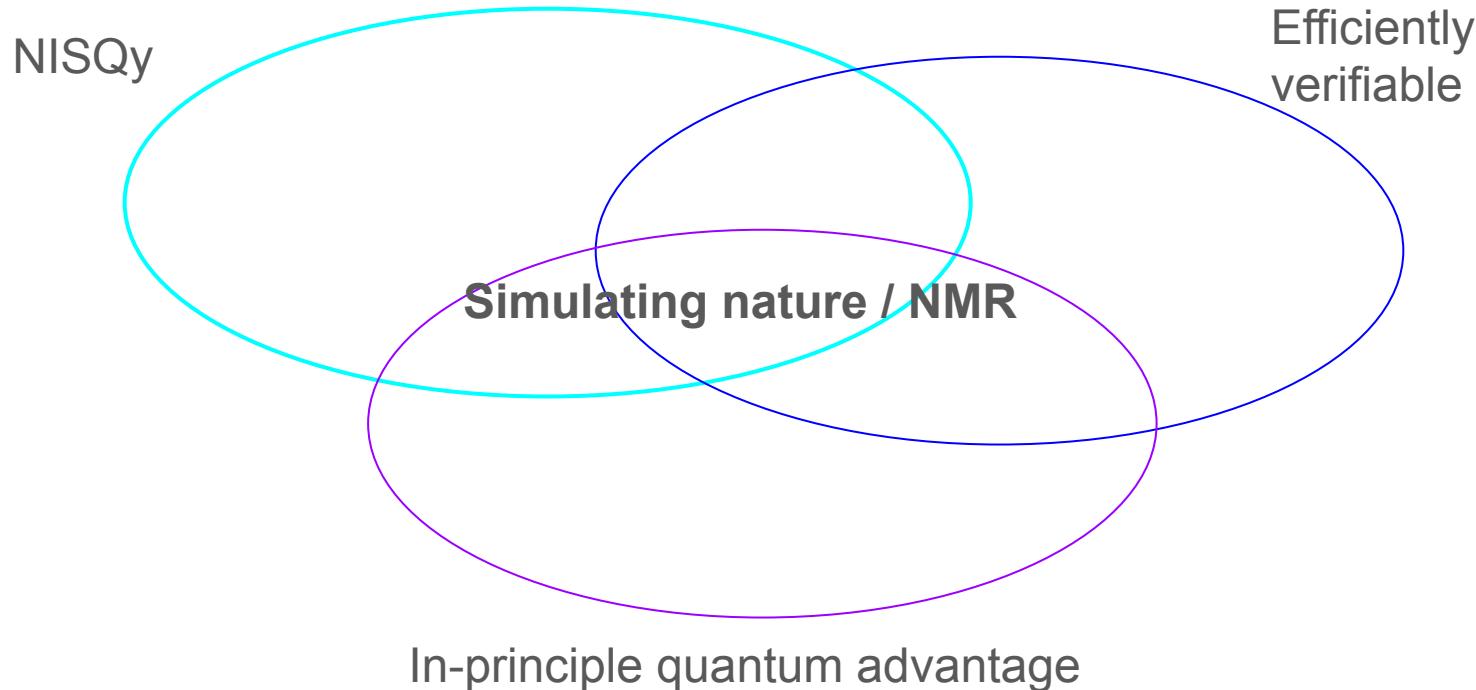
Prof. Dr. Clément Javerzac-Galy

University of Applied Sciences NW Switzerland (FHNW) // MatterDecoder
clement.javerzac@fhnw.ch



cf. Scott Aaronson

Kim, Y., Eddins, A., Anand, S. et al. Evidence for the utility of quantum computing before fault tolerance. *Nature* 618, 500–505 (2023)

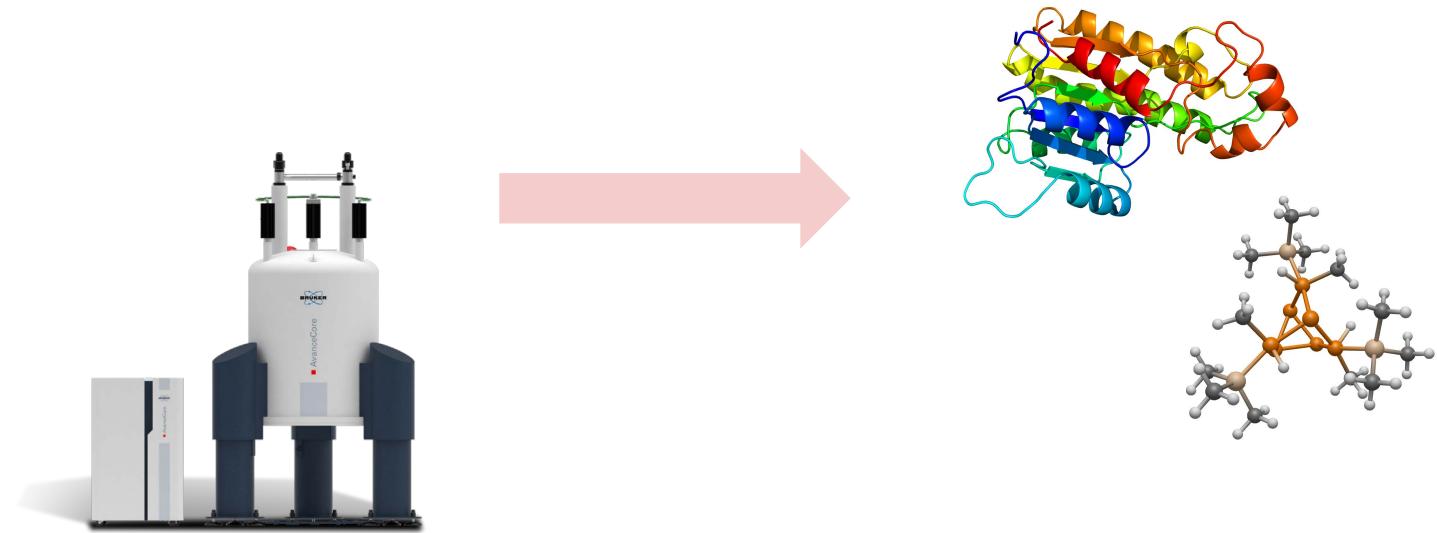


cf. Scott Aaronson

Kim, Y., Eddins, A., Anand, S. et al. Evidence for the utility of quantum computing before fault tolerance. *Nature* 618, 500–505 (2023)

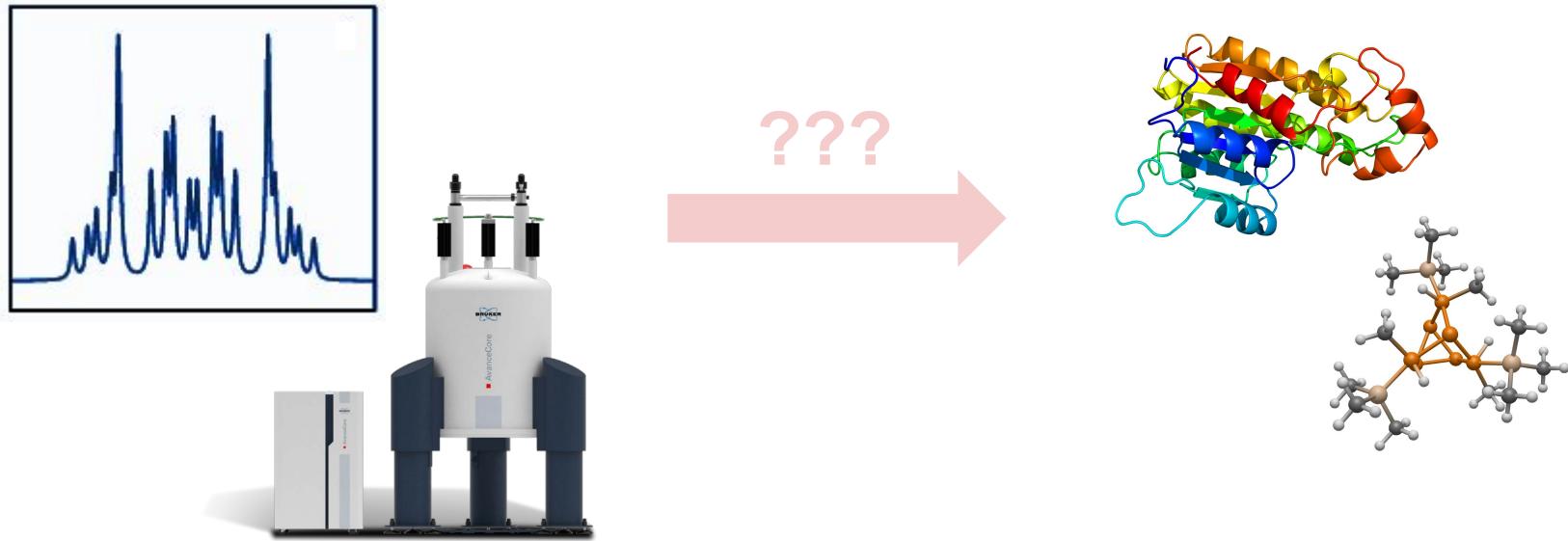
NMR* is a very powerful tool

*Nuclear magnetic resonance



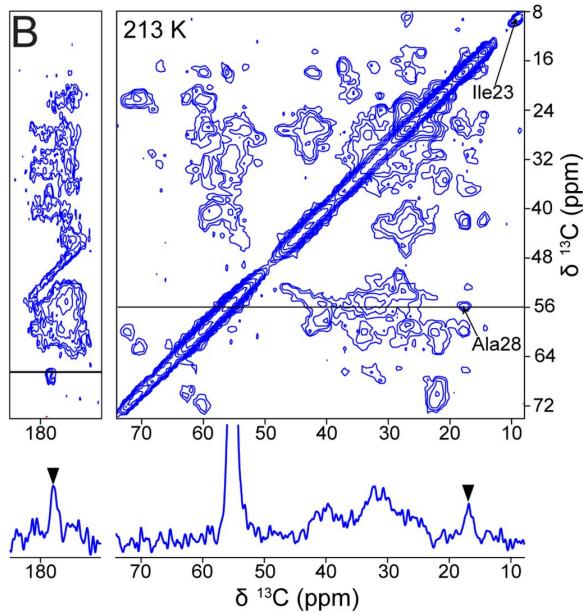
NMR is one of the most powerful methods providing atomic-level information of molecules. It can study molecules **in solution**, mimicking their native behavior in organisms, or **in solid state** form.

NMR is a very powerful tool

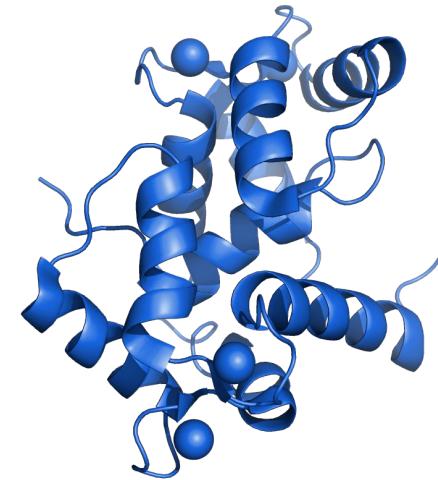


NMR is one of the most powerful methods providing atomic-level information of molecules. It can study molecules in solution, mimicking their native behavior in organisms, or in solid state form. However, spectra can be challenging to interpret, especially for large molecules & complex mixtures, with highly correlated, overlapping signals and solvent effects. It is a **labor-intensive process** that is done by highly-trained personnel. There is **no fast and automated deciphering solution** that requires no human intervention, thus severely limiting the usefulness of NMR.

NMR spectra are hard to interpret

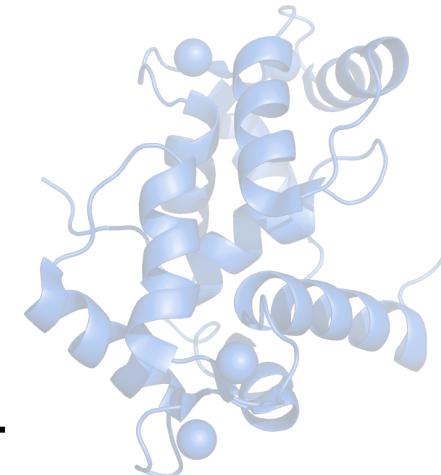
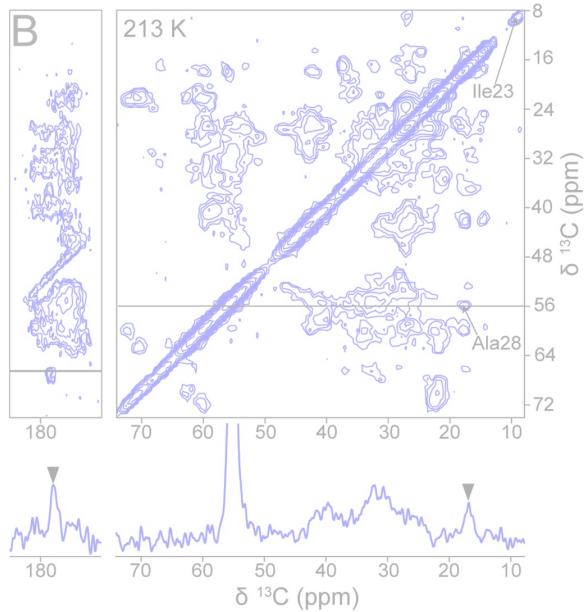


*ill-posed inverse
problem*



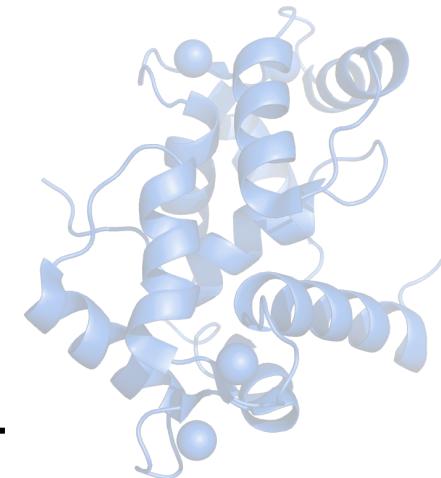
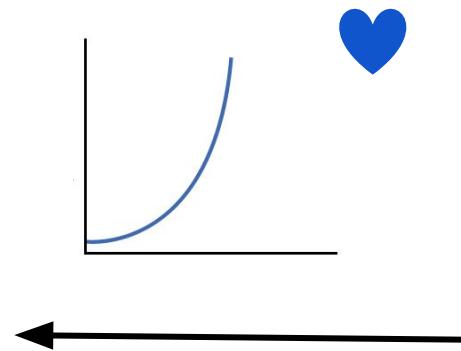
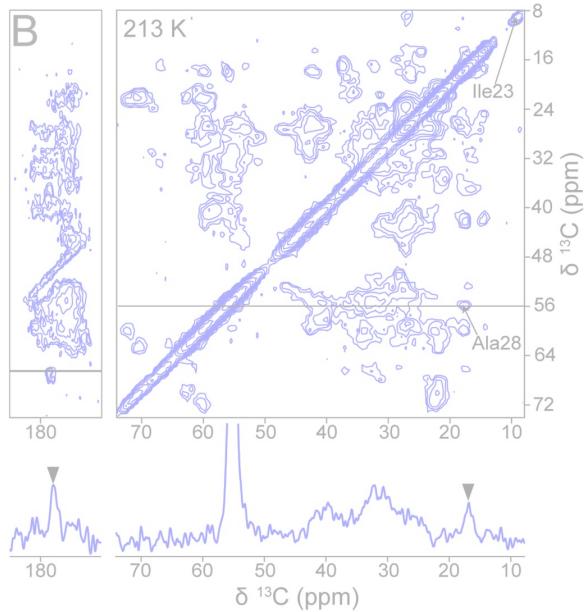
From spectroscopic data to molecular structure

NMR spectra are hard to interpret



$$H_Z^r = \sum_{k=1}^N \omega_k I_k^Z + 2\pi \sum_{k < l} J_{kl} \bar{I}_k \bar{I}_l$$

NMR spectra are hard to interpret

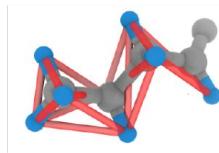


$$H_Z^r = \sum_{k=1}^N \omega_k I_k^Z + 2\pi \sum_{k < l} J_{kl} \bar{I}_k \bar{I}_l$$

(Nuclear) spin dynamics simulation

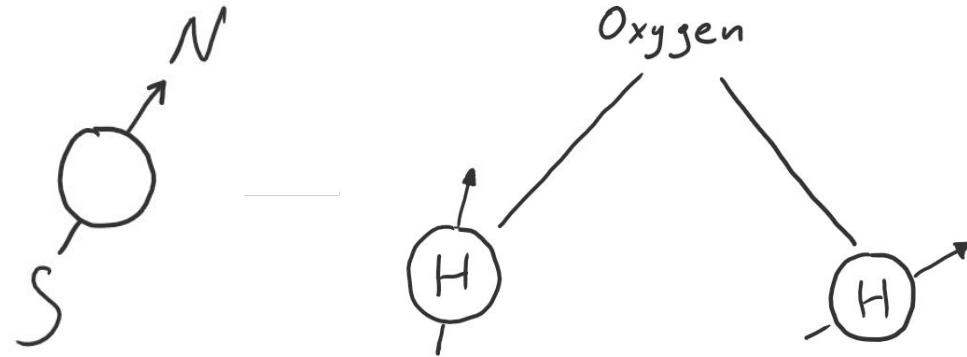
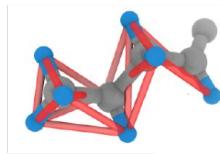
$$H_Z^r = \sum_{k=1}^N \omega_k I_k^Z + 2\pi \sum_{k < l} J_{kl} \bar{I}_k \bar{I}_l$$

(Nuclear) spin dynamics simulation

a

(Nuclear) spin dynamics simulation

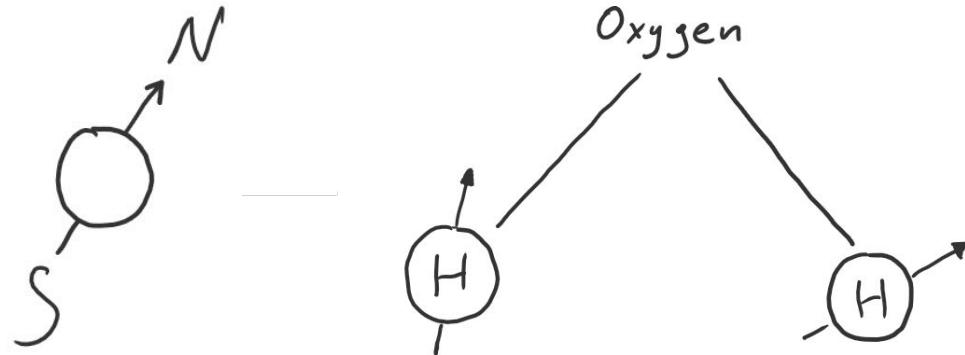
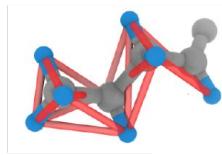
a



- Interact with magnetic fields
- Interact with one another

(Nuclear) spin dynamics simulation

a

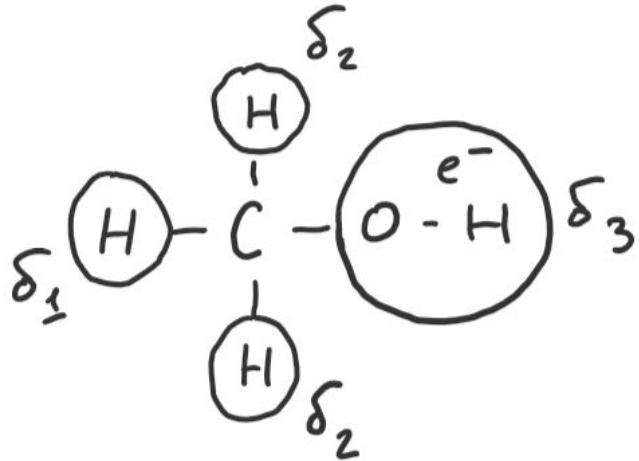
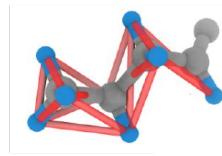


- Interact with magnetic fields
- Interact with one another

$$H_Z^r = \sum_{k=1}^N \omega_k I_k^Z + 2\pi \sum_{k < l} J_{kl} \bar{I}_k \bar{I}_l$$

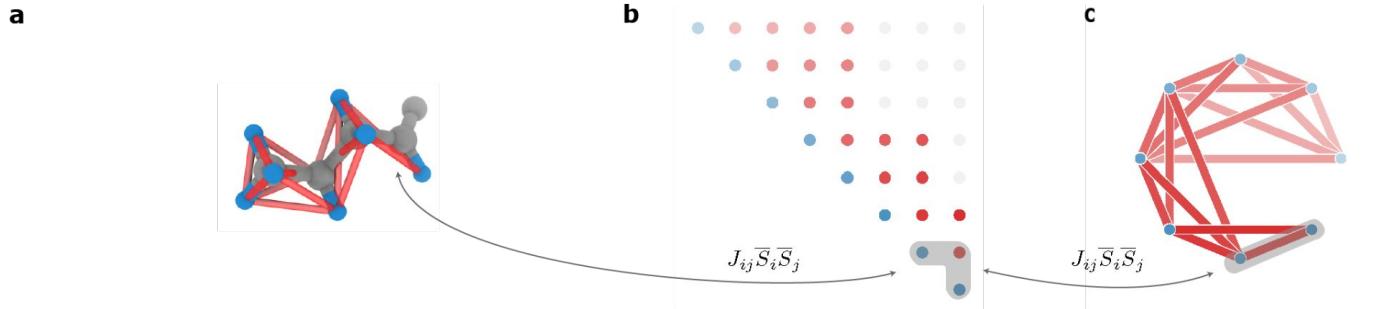
(Nuclear) spin dynamics simulation

a



- Nuclear spins are shielded from B
- Unique electronic structures serve as “fingerprints” of molecules

(Nuclear) spin dynamics simulation



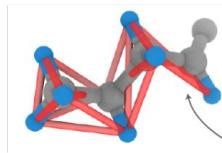
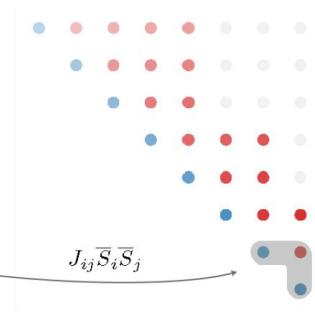
● Hydrogen atoms in the spin-spin coupling matrix
● Additional Hydrogen atoms

● Carbon and other atoms
↖ Spin-Spin coupling

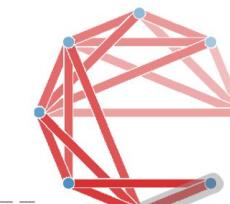
spin-spin coupling
connected cluster of spins

● spin-spin coupling terms
● spin-field coupling terms

(Nuclear) spin dynamics simulation

a**b**

$$J_{ij} \bar{S}_i \bar{S}_j$$

c

$$J_{ij} \bar{S}_i \bar{S}_j$$

Deeper coupling

Stronger coupling

Coupling regime & and depth of coupling

- Hydrogen atoms in the spin-spin coupling matrix
- Additional Hydrogen atoms

- Carbon and other atoms
- Spin-Spin coupling



spin-spin coupling

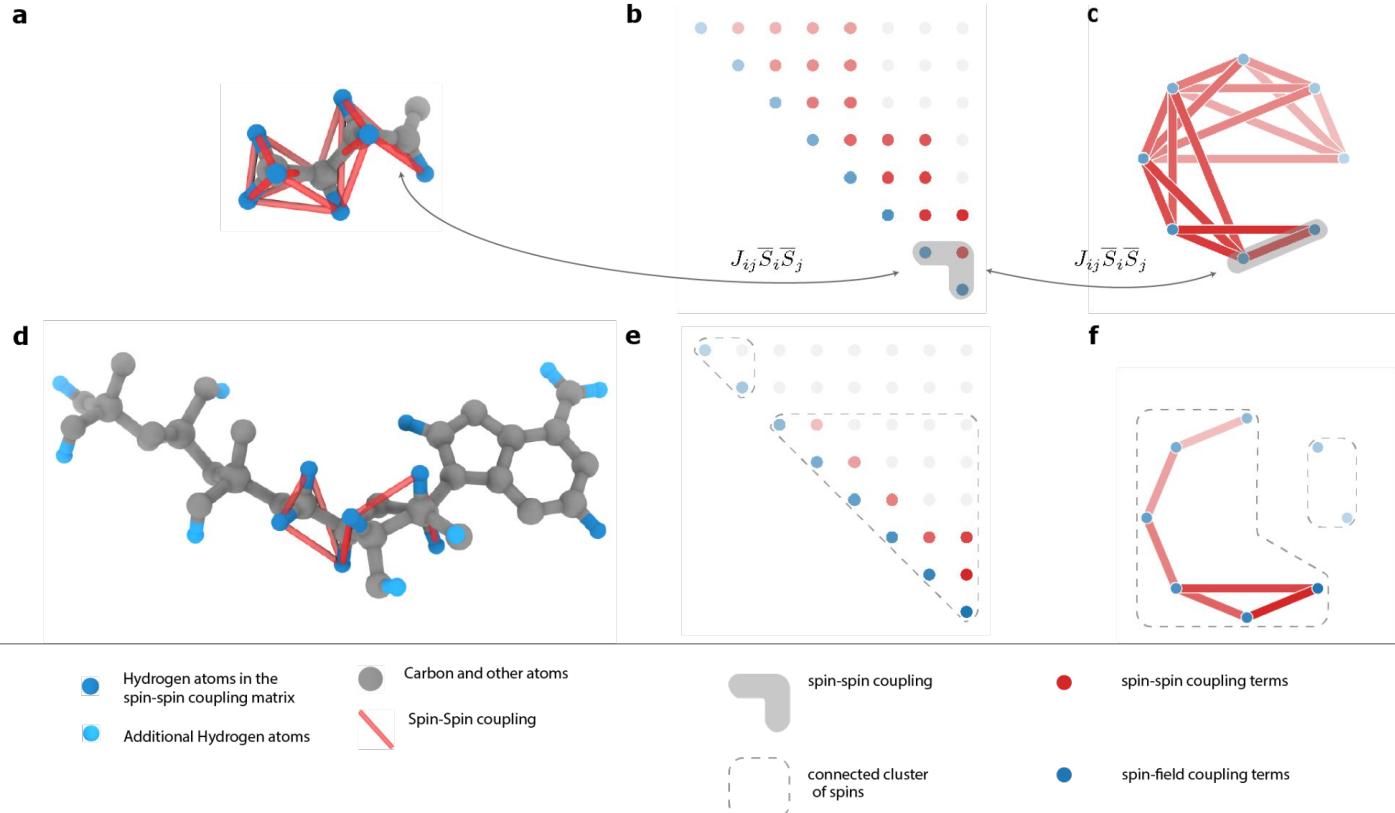
spin-spin coupling terms



connected cluster of spins

spin-field coupling terms

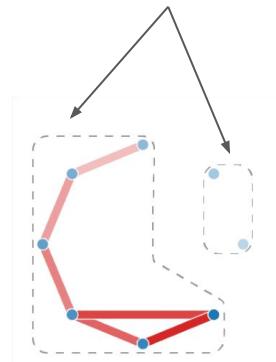
(Nuclear) spin dynamics simulation



(Nuclear) spin dynamics simulation

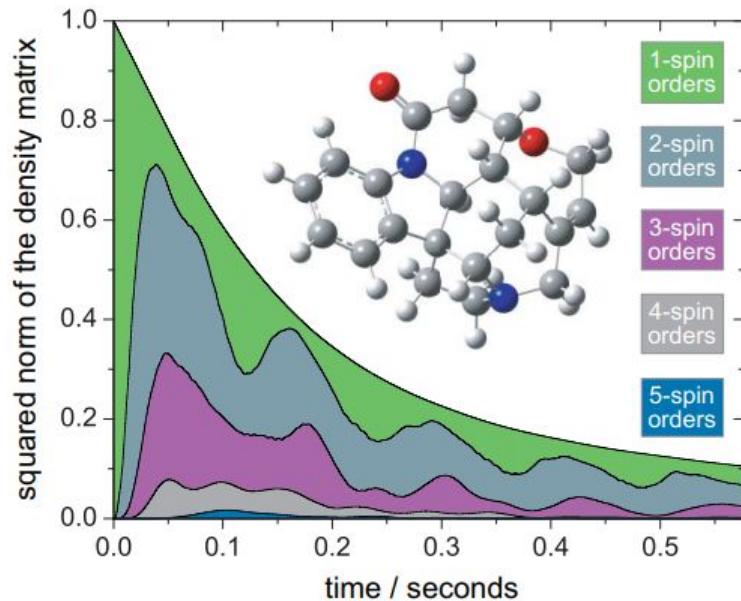
Small weakly coupled systems

Clusters



(Nuclear) spin dynamics simulation

Reducing complexity to polynomial scaling (**for liquid state NMR**).

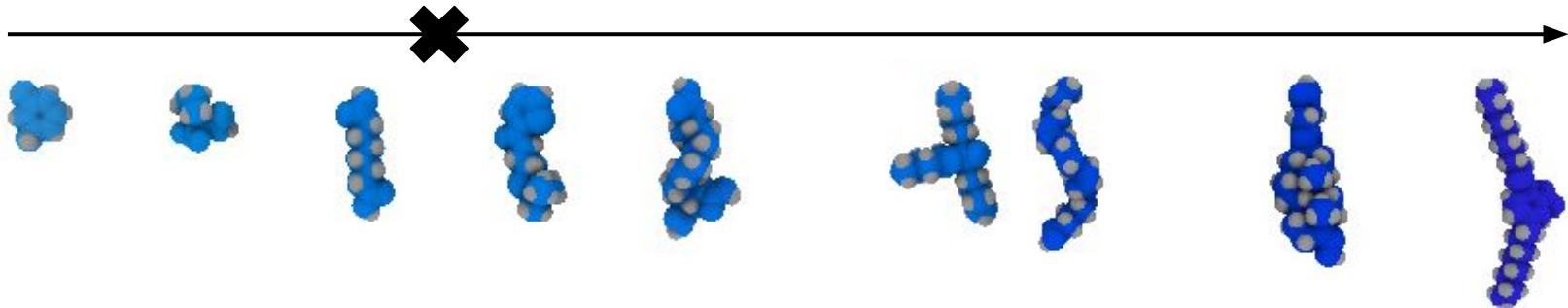
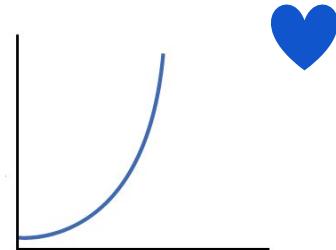


Classically tractable

Hard (Nuclear) spin dynamics simulation

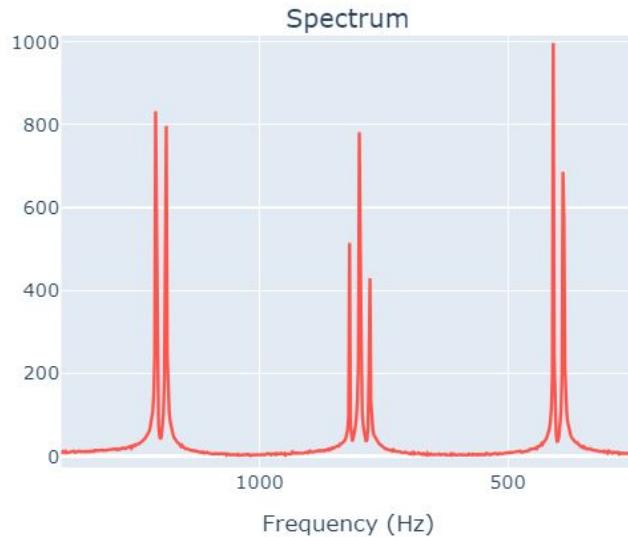
Hard / classically intractable simulations:

- For large clusters
- Strong coupling
- Weak field
- etc

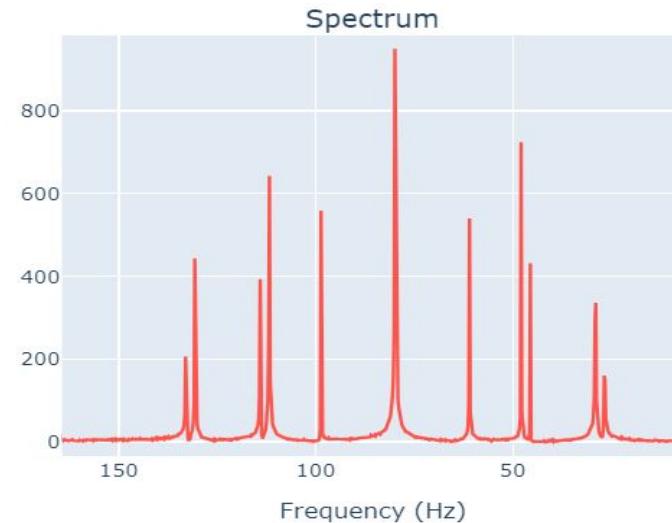


Hard (Nuclear) spin dynamics simulation

e.g. low field NMR



Field B = 400MHz

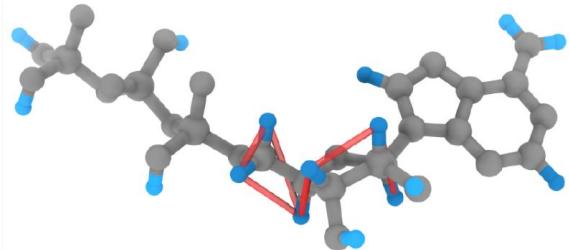


Field B = 40MHz

Hard (Nuclear) spin dynamics simulation

From semi-classical to **quantum mechanical treatment**

A native quantum problem



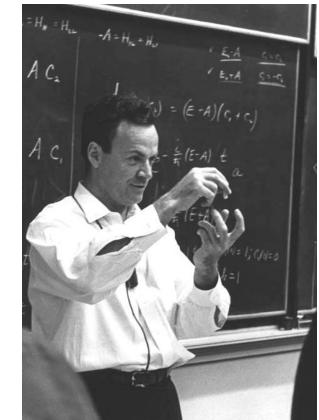
Simulating Physics with Computers

Richard P. Feynman

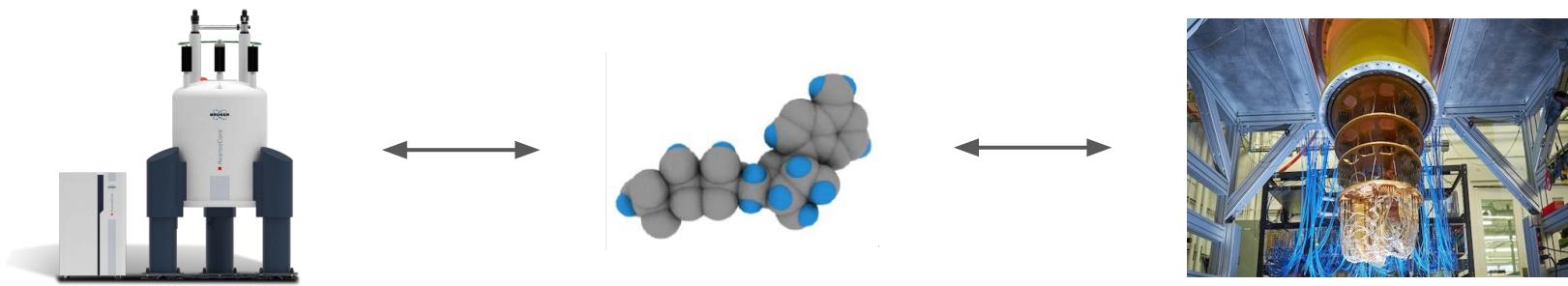
Department of Physics, California Institute of Technology, Pasadena, California 91107

Received May 7, 1981

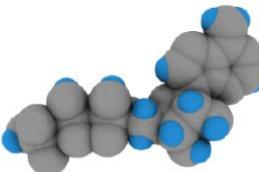
needed. I don't know, maybe physics is absolutely OK the way it is. The program that Fredkin is always pushing, about trying to find a computer simulation of physics, seem to me to be an excellent program to follow out. He and I have had wonderful, intense, and interminable arguments, and my argument is always that the real use of it would be with quantum mechanics, and therefore full attention and acceptance of the quantum mechanical phenomena—the challenge of explaining quantum mechanical phenomena—has to be put into the argument, and therefore these phenomena have to be understood very well in analyzing the situation. And I'm not happy with all the analyses that go with just the classical theory, because nature isn't classical, dammit, and if you want to make a simulation of nature, you'd better make it quantum mechanical, and by golly it's a wonderful problem, because it doesn't look so easy. Thank you.



A native quantum problem

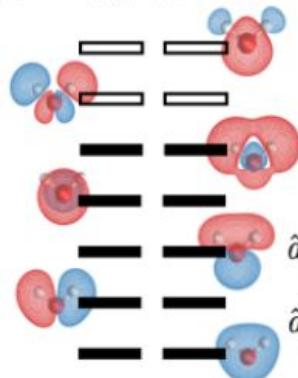


Like electronic structures?



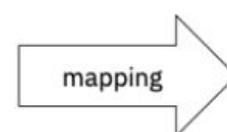
Fermions

$$\{a_i, a_i\} = 0, \{a_i^\dagger, a_i^\dagger\} = 0, \{a_i, a_i^\dagger\} = \delta_{i,j}$$



Spins

$$[\sigma_i, \sigma_i] = 0, [\sigma_i^\dagger, \sigma_i^\dagger] = 0, [\sigma_i, \sigma_j^\dagger] = \delta_{i,j}$$



Jordan-Wigner

$$\hat{a}_j = \bigotimes_{i=1}^{j-1} \hat{\sigma}_i^z \otimes (\hat{\sigma}_j^x + i\hat{\sigma}_j^y)$$

$$\hat{a}_j^\dagger = \bigotimes_{i=1}^{j-1} \hat{\sigma}_i^z \otimes (\hat{\sigma}_j^x - i\hat{\sigma}_j^y)$$

$$\hat{H}_{elec} = \sum_{pq} h_{pq} \hat{a}_p^\dagger \hat{a}_q + \frac{1}{2} \sum_{pqrs} h_{pqrs} \hat{a}_p^\dagger \hat{a}_q^\dagger \hat{a}_r \hat{a}_s$$

$$\hat{H}_{elec} = \sum_i c_i \hat{P}_i$$



Like electronic structures?



Fermions

$$\{a_i, a_i\} = 0, \{a_i^\dagger, a_i^\dagger\} = 0, \{a_i, a_j^\dagger\} = \delta_{i,j}$$

Smaller encoding
overhead
for nuclear problem

Spins

$$[\sigma_i, \sigma_j] = 0, [\sigma_i^\dagger, \sigma_i^\dagger] = 0, [\sigma_i, \sigma_j^\dagger] = \delta_{i,j}$$

Jordan-Wigner

$$\hat{a}_j = \bigotimes_{i=1}^{j-1} \hat{\sigma}_i^z \otimes (\hat{\sigma}_j^x + i\hat{\sigma}_j^y)$$

$$\hat{a}_j^\dagger = \bigotimes_{i=1}^{j-1} \hat{\sigma}_i^z \otimes (\hat{\sigma}_j^x - i\hat{\sigma}_j^y)$$

$$\hat{H}_{elec} = \sum_{pq} h_{pq} \hat{a}_p^\dagger \hat{a}_q + \frac{1}{2} \sum_{pqrs} h_{pqrs} \hat{a}_p^\dagger \hat{a}_q^\dagger \hat{a}_r \hat{a}_s$$

$$\hat{H}_{elec} = \sum_i c_i \hat{F}_i$$



A native quantum problem - Hamiltonian Simulation.

$$H_Z^r = \sum_{k=1}^N \omega_k I_k^Z + 2\pi \sum_{k < l} J_{kl} \bar{I}_k \bar{I}_l$$

The nuclear problem:

$$|\psi(t)\rangle = e^{-\frac{i}{\hbar} H t} |\psi(0)\rangle$$

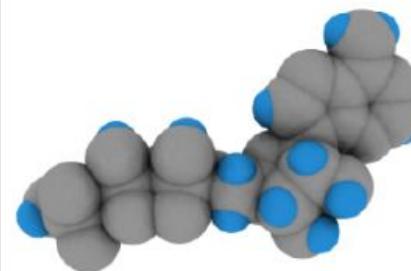
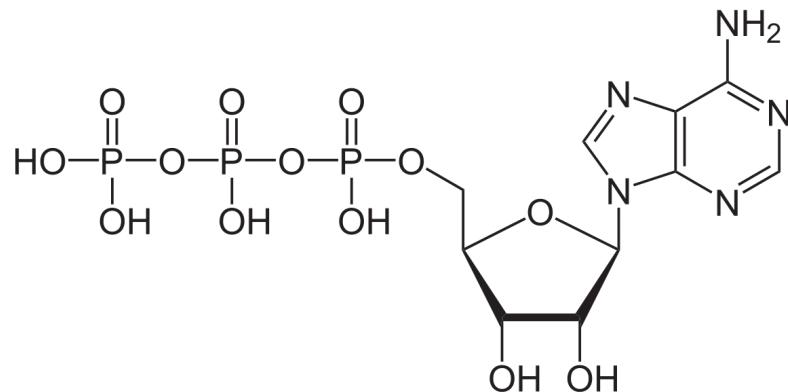
$$H_n = \underbrace{\begin{pmatrix} H_{11} & H_{12} & \cdots & H_{1,2^n} \\ H_{21} & H_{22} & \cdots & H_{2,2^n} \\ \vdots & \vdots & \ddots & \vdots \\ H_{2^n,1} & H_{2^n,2} & \cdots & H_{2^n,2^n} \end{pmatrix}}_{\substack{\text{rows: } 2^n \\ \text{columns: } 2^n}}$$

Complexity:
cannot be stored, but
the circuits can

e.g. Adenosine triphosphate (ATP)

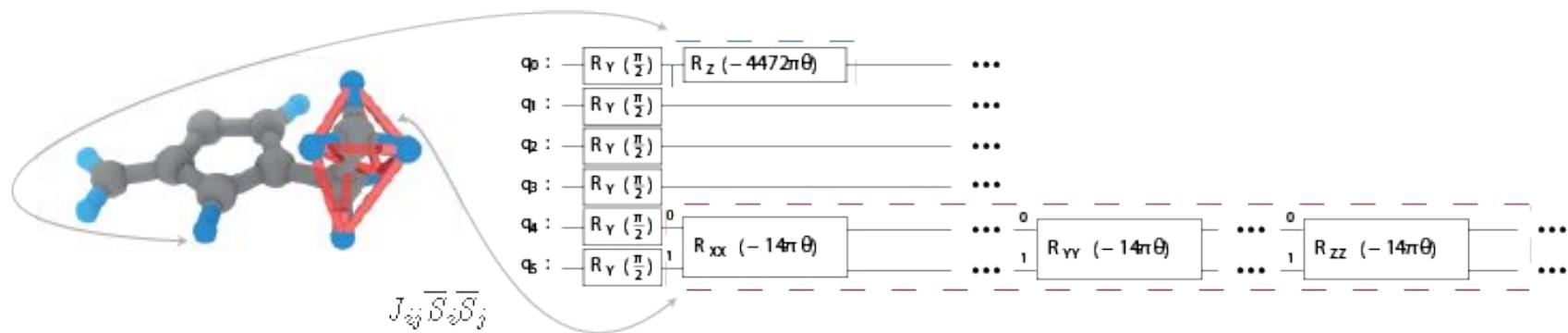
A 8 *active spins* system (1H NMR, *liquid state*)

Found in all known forms of life, it is often referred to as the "molecular unit of currency" of intracellular energy transfer.

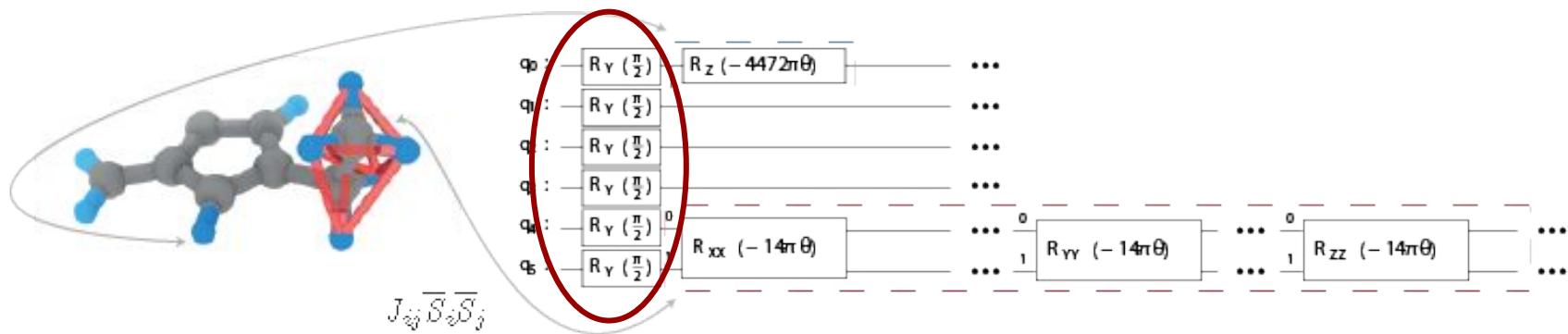


e.g. Adenosine triphosphate (ATP)

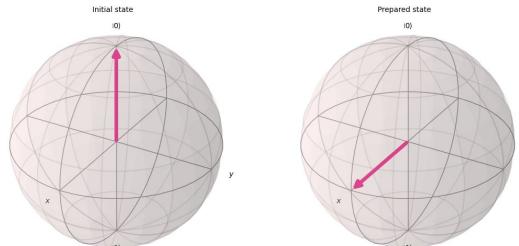
Ex. of transpiled circuit:



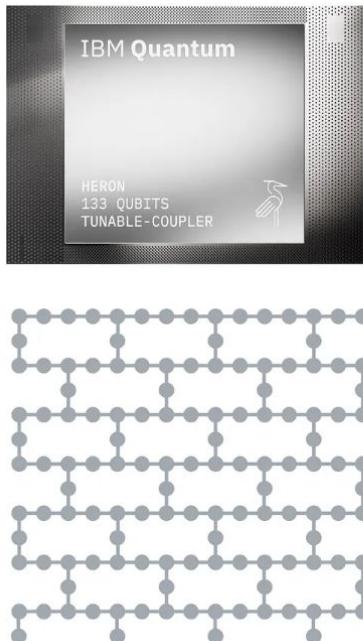
e.g. Adenosine triphosphate (ATP)



Simple state preparation
(no density matrix here)



e.g. Adenosine triphosphate (ATP)



A major milestone in system performance:

Eagle R3

Mean T1 = 269 us

Mean ECR gate time = 537 ns

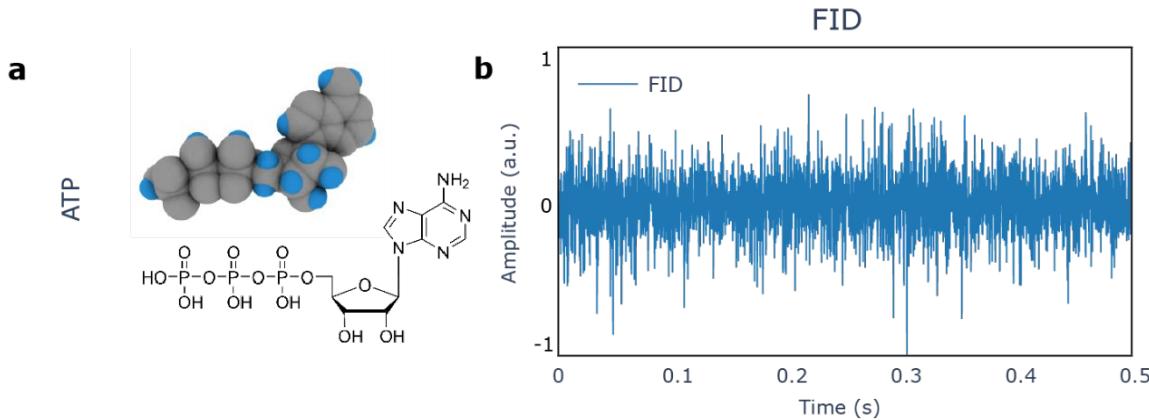
~ 500 gates in T1 time

127-qubits chip IBM



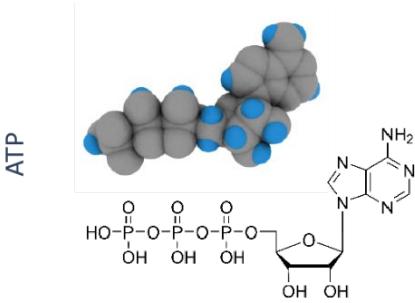
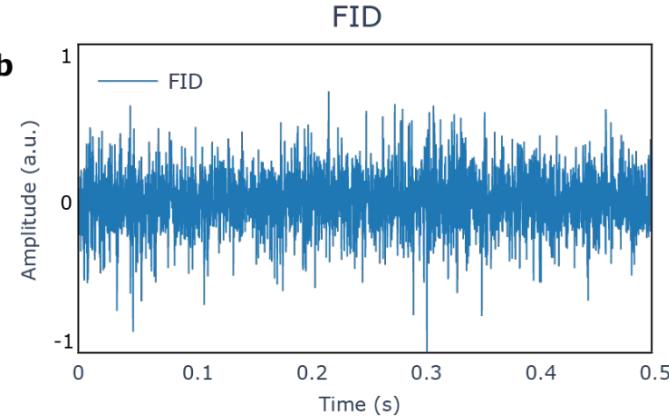
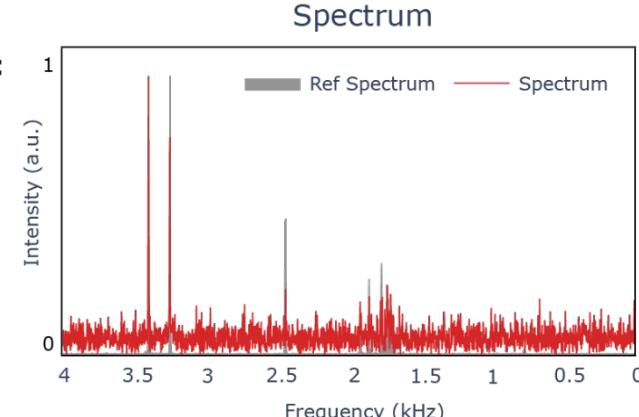
e.g. Adenosine triphosphate (ATP)

Free Induction Decay (FID) on QPU: first time high-field



e.g. Adenosine triphosphate (ATP)

Free Induction Decay (FID) on QPU: first time high-field

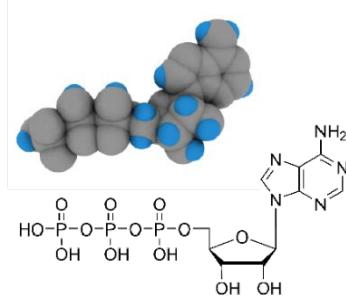
a**b****c**

e.g. benchmarked with experimental NMR data

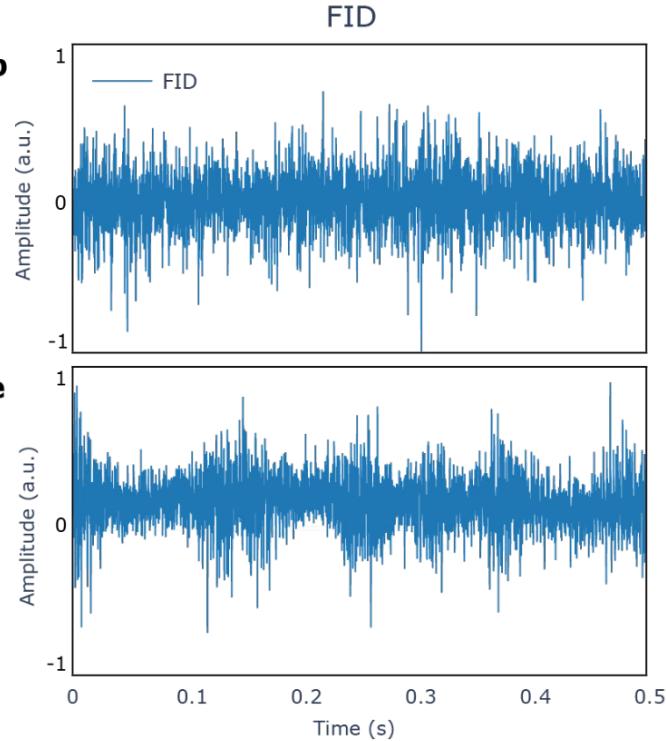
Free Induction Decay (FID) on QPU: first time high-field

a

ATP

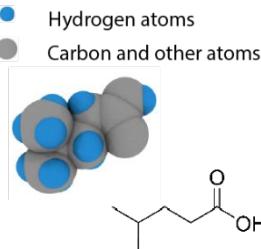


b

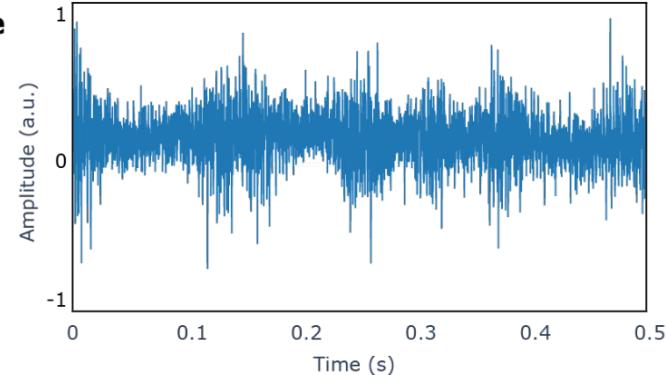


d

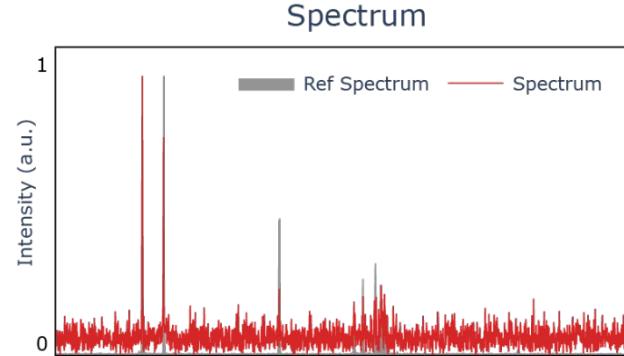
4-Methylvaleric acid



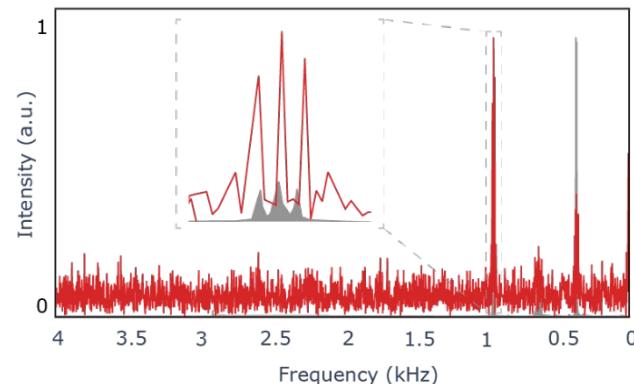
e



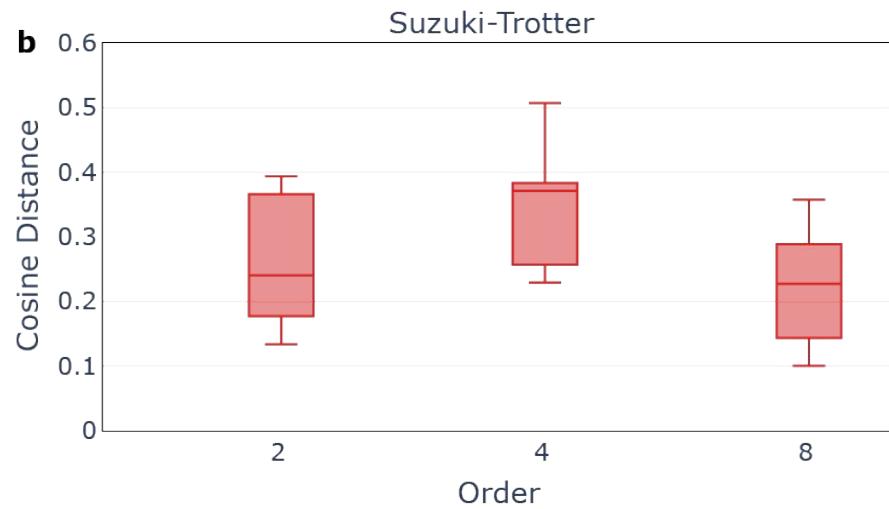
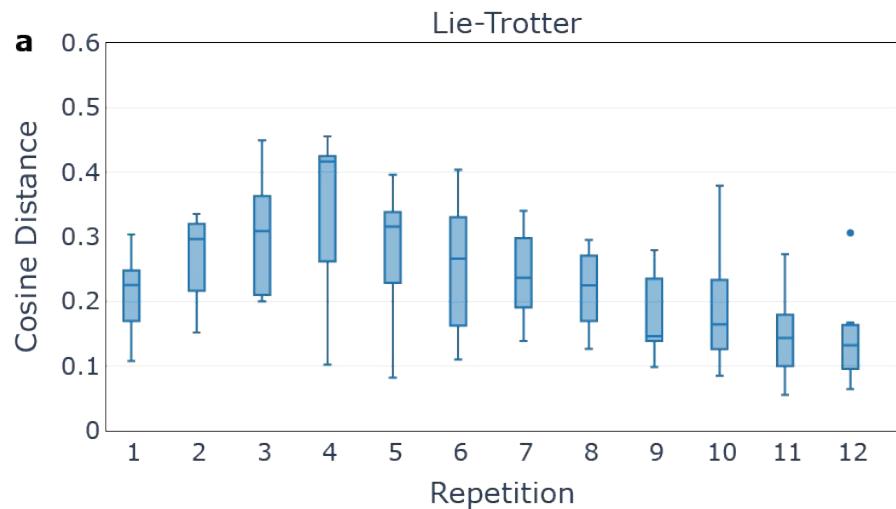
c

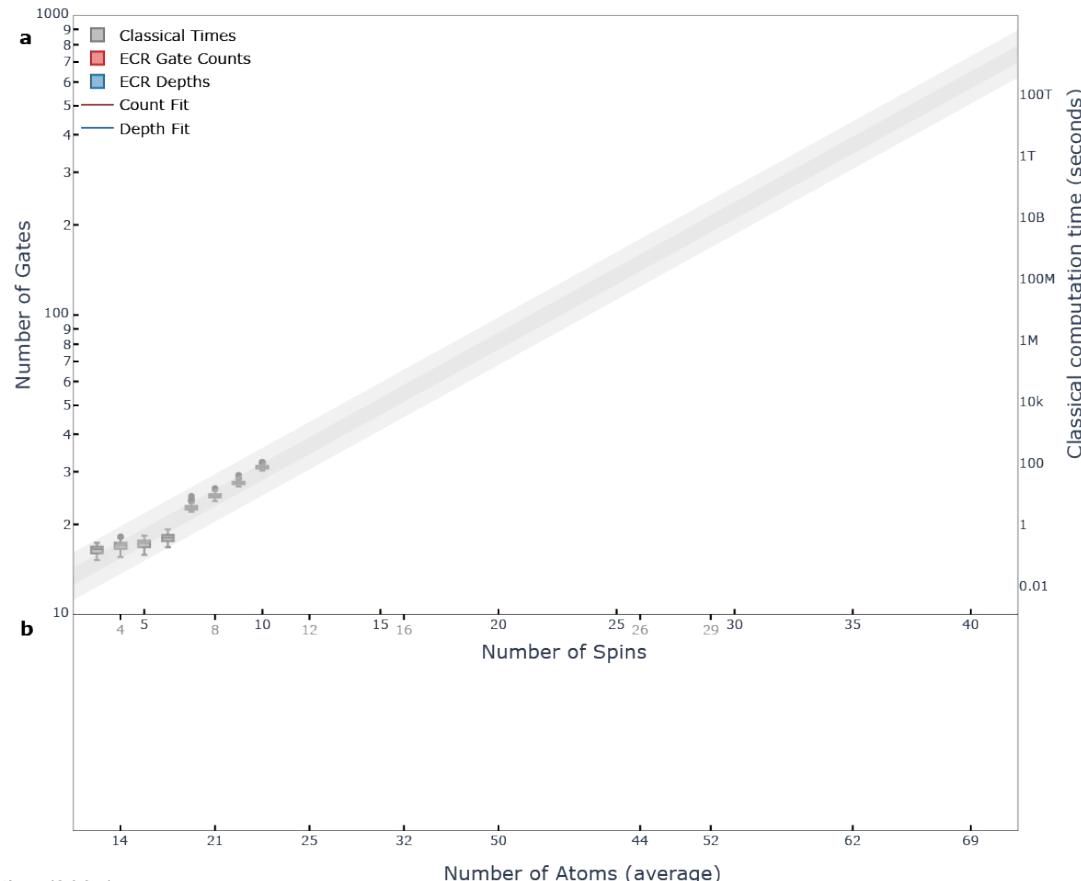


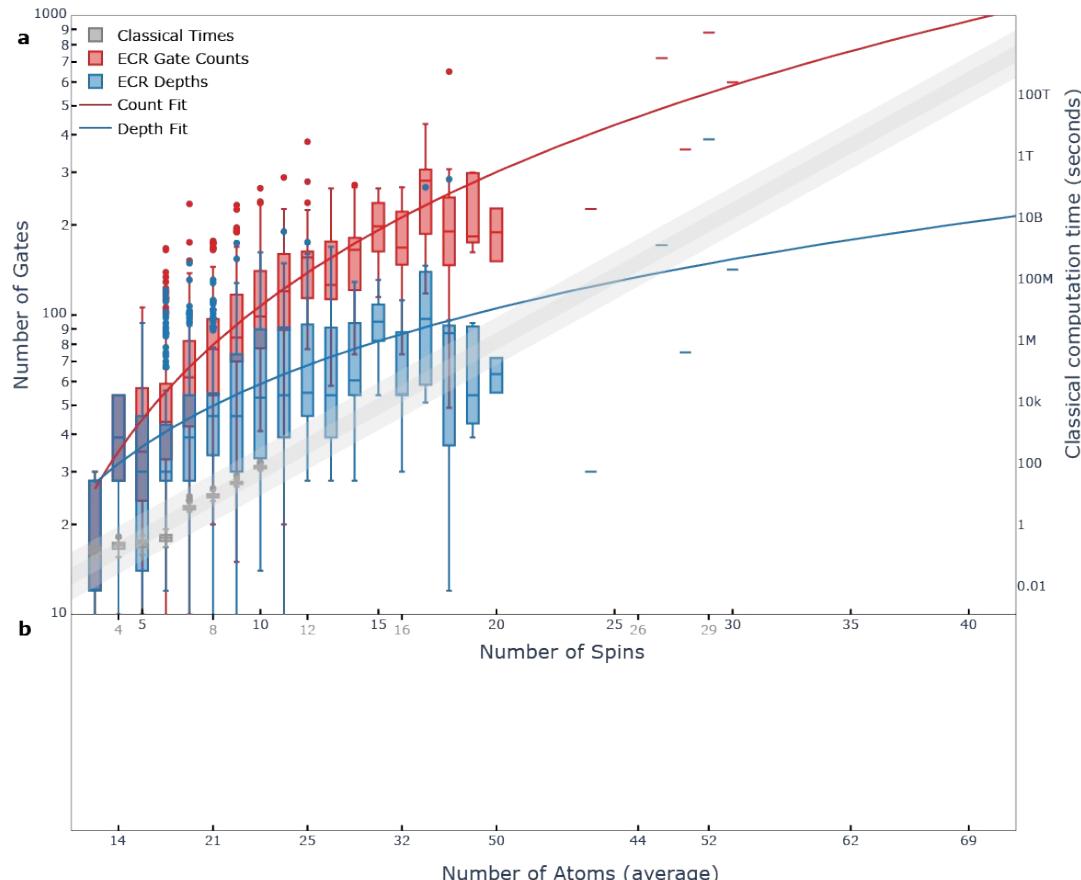
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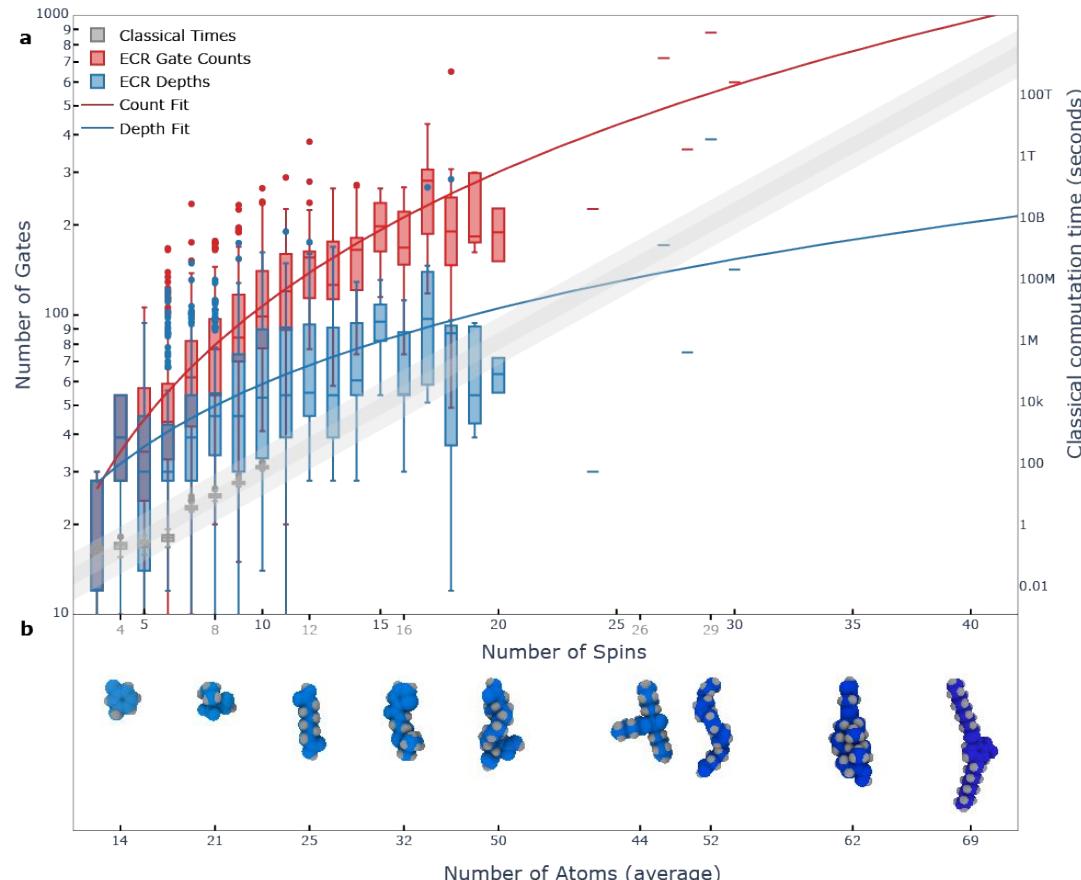


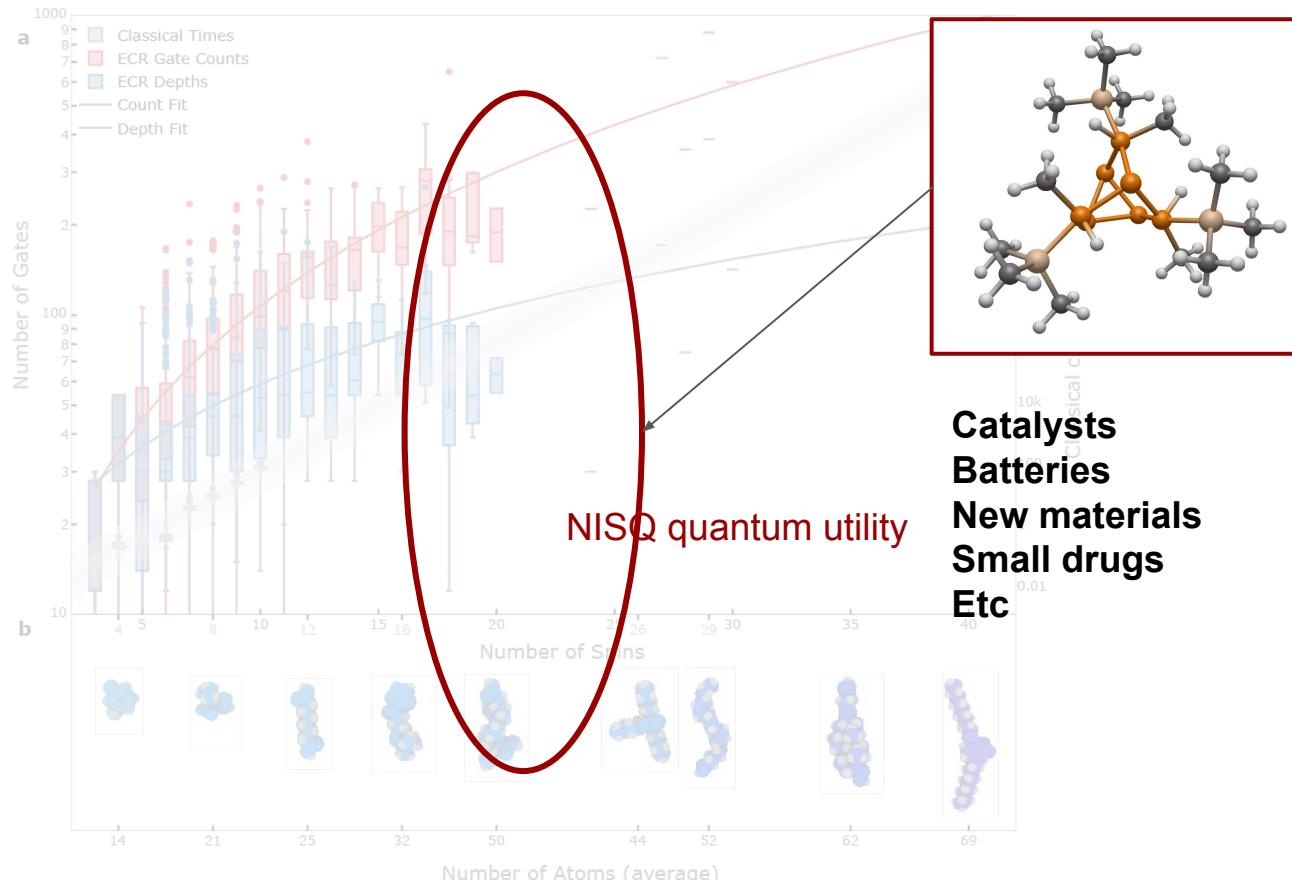
Hamiltonian Simulation via product formula



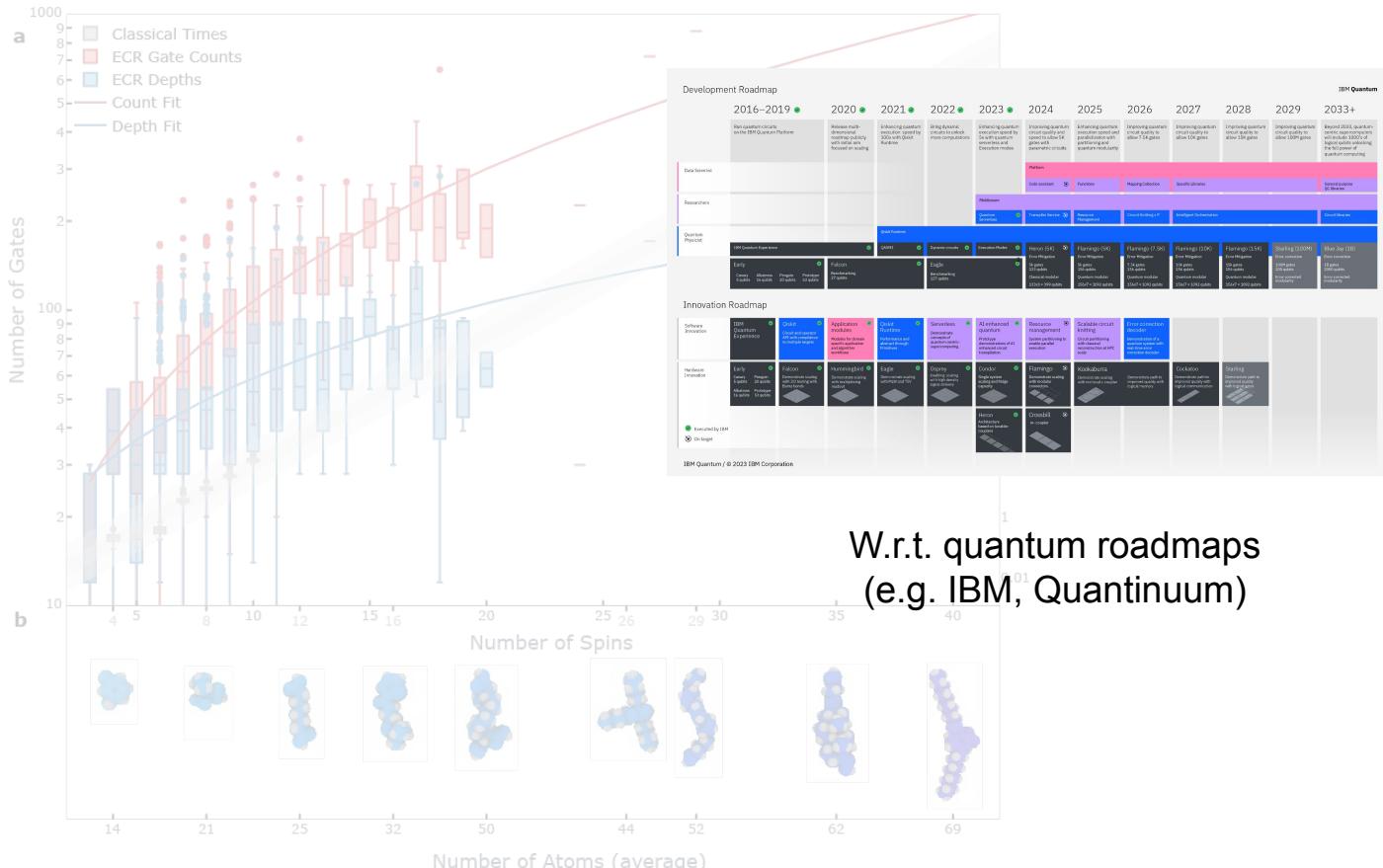




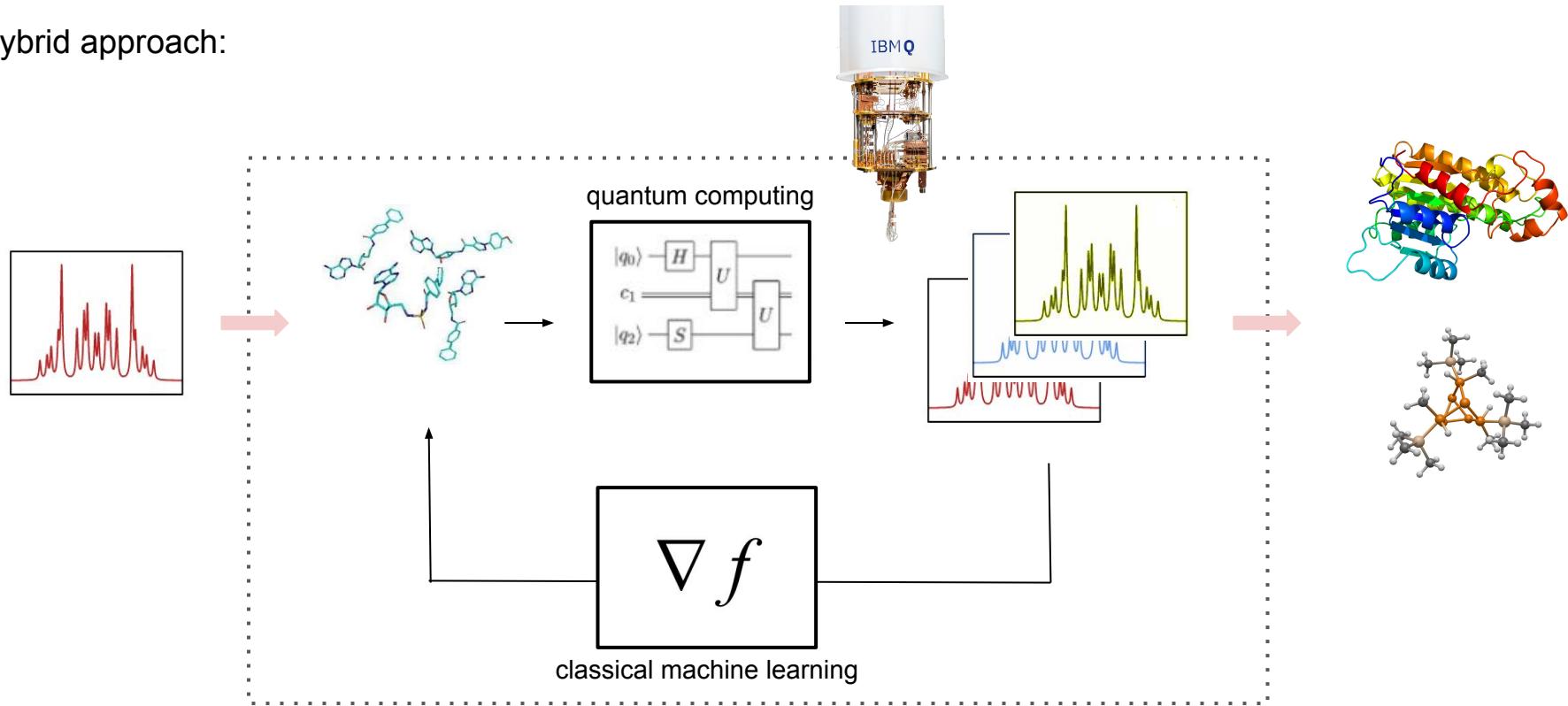


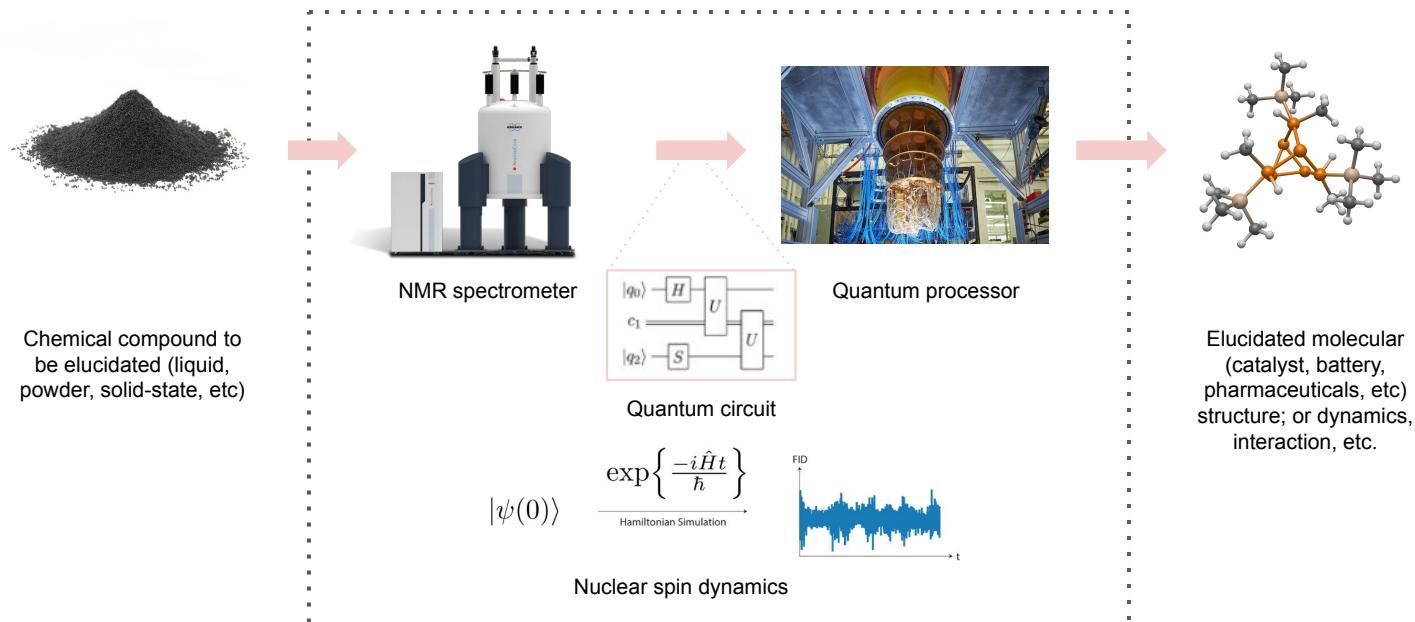


Resource estimation



Hybrid approach:



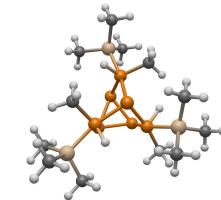




Chemical compound to be elucidated (liquid, powder, solid-state, etc)



Towards automating NMR
Deciphering spectroscopic data on NISQ
quantum computers



Elucidated molecular
(catalyst, battery,
pharmaceuticals, etc)
structure; or dynamics,
interaction, etc.

For other spin systems in sensing (NV-centers etc)

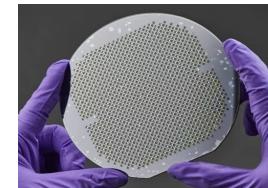
To be made available through *MatterDecoder* (spin-off technology)



Applications in solid-state NMR, material development, pharmaceuticals, sensing, etc

Radio pharmaceuticals, isotopes

Next generation of medical quantum sensors for healthcare



Join us!

Hiring Postdoc, PhD, masters





Artemiy Burov

Questions?
What can we solve together?

-> clement.javerzac@fhnw.ch